

Computer Lab #2

(due December 5, 2018)

Important things to know for this assignment

- Here's how you can find the derivative of an implicit equation:

`ImplicitDerivative(x^2+y^2-y^3)` ← This finds $\frac{dy}{dx}$ for $x^2 + y^2 = y^3$

`ImplicitDerivative(ImplicitDerivative(x^2+y^2-y^3))` ← This finds $\frac{d^2y}{dx^2}$

- Here's how you can graph an implicit equation:

`x^2+y^2=y^3` ← This graphs $x^2 + y^2 = y^3$

- Here's how you can graph approximating rectangles:

`f(x)=x^2` ← This graphs $f(x) = x^2$

`RectangleSum(f,0,2,4,0)` ← This shows 4 rectangles under f on $[0,2]$ using left endpoints

`RectangleSum(f,0,2,4,0.5)` ← This shows 4 rectangles under f on $[0,2]$ using midpoints

`RectangleSum(f,0,2,4,1)` ← This shows 4 rectangles under f on $[0,2]$ using right endpoints

- Here's how you can evaluate an integral:

`Integral(f,0,2)` ← This evaluates $\int_0^2 f(x) dx$ and shows the "area under the curve"

See Lab #1 for more directions.

- Consider the implicit equation $x^3 + y^3 = 3xy$.
 - Use implicit differentiation to find $\frac{dy}{dx}$ by hand.
 - Now use GeoGebra to find $\frac{dy}{dx}$.
 - Find the equation of the tangent line at $(\frac{3}{2}, \frac{3}{2})$ by hand.
 - Use GeoGebra to graph the curve in blue and the tangent line that you found for part (c) in red on a single coordinate system with $x = -5$ to $x = 5$, and $y = -5$ to $y = 5$.
 - Now use GeoGebra to find $\frac{d^2y}{dx^2}$.
- Consider the function $f(x) = \frac{1}{30}x^2 + \sin x - 1$.
 - Use GeoGebra to graph $f(x)$. Use rectangles to approximate the integral $\int_0^{10} f(x) dx$ given each of the following conditions. Be sure to graph the rectangles in each case.
 - 10 rectangles using right endpoints
 - 100 rectangles using right endpoints
 - 200 rectangles using right endpoints
 - 10 rectangles using midpoints
 - 100 rectangles using midpoints
 - Evaluate $\int_0^{10} f(x) dx$ by hand.
 - Now use GeoGebra to evaluate $\int_0^{10} f(x) dx$.